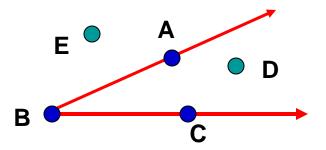
# 1.3

## ANGLES AND MEASUREMENT

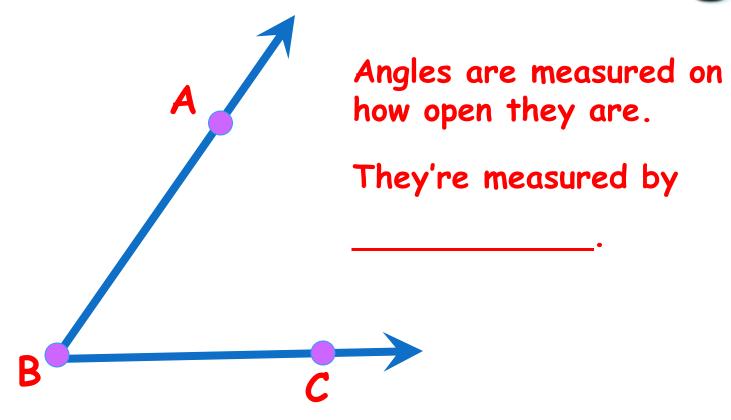
#### **Angle and Points**

 An angle is a figure formed by two rays with a common endpoint, called the \_\_\_\_\_\_

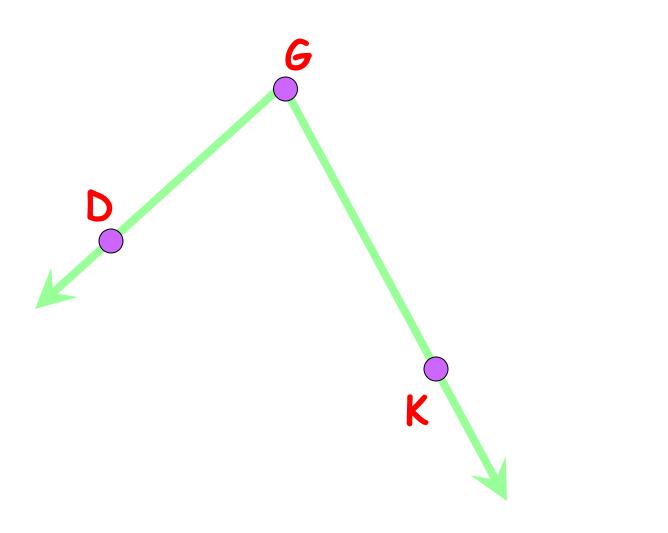


Points A, B and C are on the angle. D is in the \_\_\_\_\_and E is in the

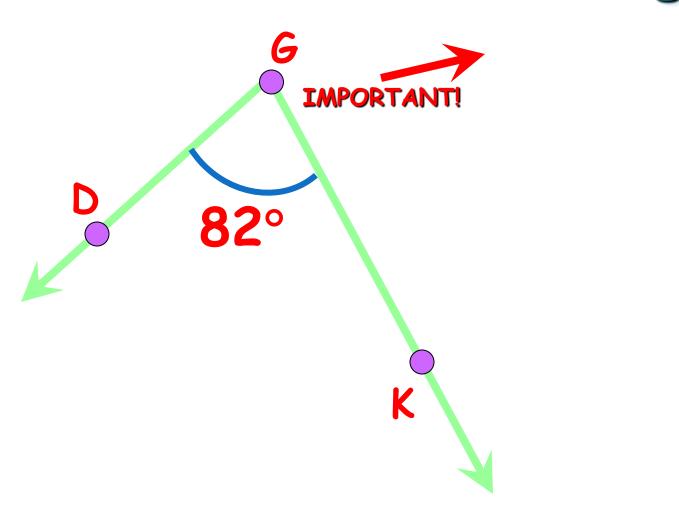
## Measurement of Angles



## Naming an Angle



# Naming the measurement of an angle



### Terms to Know

```
Full Turn \rightarrow 360°
Half Turn -> 180°
1 Turn
                \rightarrow 90^{\circ}
1/8 Turn \rightarrow 45^{\circ}
```

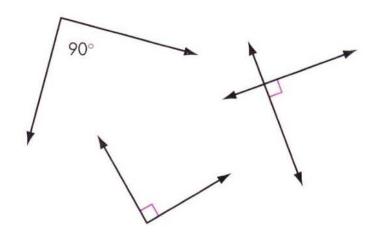
#### WRITING YOUR DEFINITIONS

- 1) Precise
- 2) Avoid ambiguous terms (some, about, small...)
- 3) Make sure can't make a counterexample of the definition

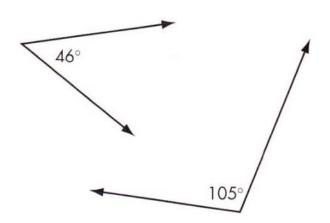
### Defining...

1.\* Define right angle.

Right angles

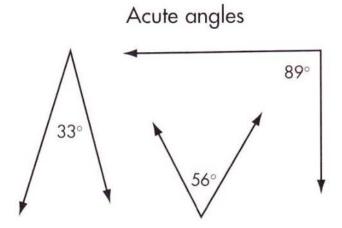


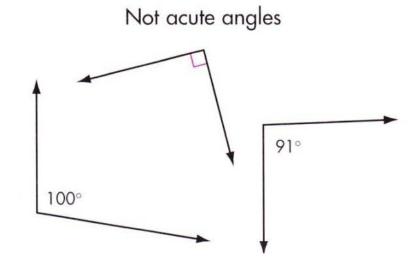
Not right angles



#### **Defining...**

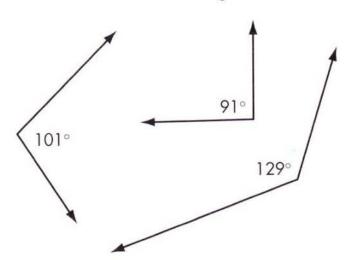
**2.\*** Define acute angle.



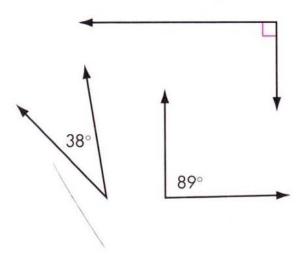




Obtuse angles



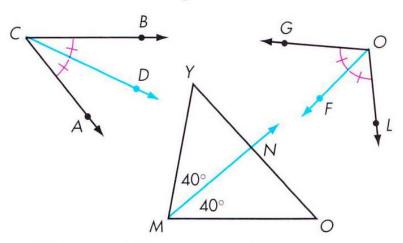
Not obtuse angles



### **Defining...**

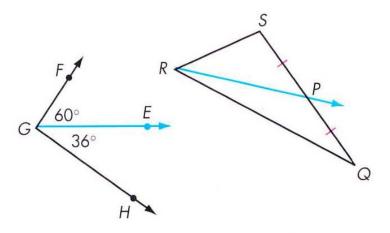
#### **5.** Define *angle bisector*.

#### Angle bisectors



Ray *CD*, ray *OF*, and ray *MN* are angle bisectors.

#### Not angle bisectors



Ray *GE* and ray *RP* are not angle bisectors.

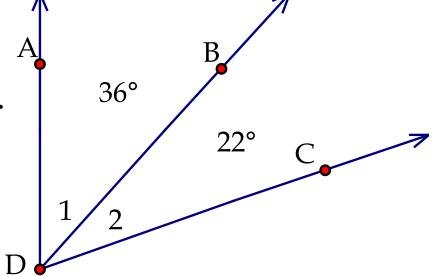
#### **Adding Angles**

When you want to add angles, use the notation  $m \angle 1$ , meaning the measure of  $\angle 1$ .

If you add  $m \angle 1 + m \angle 2$ , what is your result?

 $m\angle 1 + m\angle 2 =$  also.

Therefore, \_\_\_\_\_



#### **Angle Addition Postulate**

The \_\_\_\_\_ of the two \_\_\_\_\_ will always equal the measure of the \_\_\_\_\_ .

$$m \angle \underline{\hspace{1cm}} + m \angle \underline{\hspace{1cm}} = m \angle \underline{\hspace{1cm}}$$

